Furthermore, since the change in density or specific volume with temperature is comparatively small, i.e., of the order of a few per cent, we will use Andrade's first formula, which is sufficiently accurate for our purposes.

Table 1.—Viscosity constants, H_η and a, of andrade's viscosity equation, $\eta_T=a\exp\left(H_\eta/RT\right)$ (poise) and the melting point of metals, $T_{\rm M}$.

Metal	$T_{\rm M}$	Constant a (poise)	H_{η} (cal/gm atom)
Нg	234	5-634 . 10 -3	600
Cs	301-7	1-135 . 10-3	1060
Ga	303	4.359 . 10 -3	955
Rb	312.2	0.911.10-3	1230
K	337	0.659.10-3	1433
Na	371	0.787.10-3	1625
In	430	3.020 . 10 3	1590
Li	452	1.590.10-3	1220
Sn	505	3.843 . 10-3	1740
Bi	544	3.594 . 10 3	1770
Cd	576	4-850 . 10 -3	2040
Pb	601	4.222 . 10 3	2295
Zn	693	4.085 . 10-3	2950
Sb	903	2.797.10-3	2970
Ag	1234	5.750 . 10-3	4690
Cu	1357	8.676.10-3	3680
Fe	1812	16-060 . 10 ⁻³	5070
W (est.)	3650	36.5 . 10-3	~7400

Empirical relationship between the activation energy of viscosity and the melting point of the metal

From the standpoint of inorganic chemistry we are interested in estimating, in a general way, the viscosity of any metal over the temperature range and finding any kind of relationship between viscosity of the control of the properties of the largest.

The theory of the viscosity of its η and η and η are η as η and η are η by Eyring. (7) Eyring's viscosity theory is based on his theory of absolute reaction rates; his expression for η is:

$$\eta = \left(\frac{\delta}{d}\right)^2$$
 . n . h . $\exp\left(H_{\eta}/RT\right)$

where δ is the distance between molecular layers and for simplicity is assumed to equal d, the distance between crystal lattice γ and attack $\left(\frac{1}{d}\right)^2 \simeq 1$), n, the number of atoms/cm³, h = Planck's constant and H_n is the free energy of activation for viscous

flow, obtained from the slope of the logarithm of experimental viscosity data against 1/T.

According to Eyring's views H_{η} is proportional to the energy of vaporization, $\Delta U_{\text{vap.}} = \Delta H_{\text{vap.}} - RT$, since the processes are very similar. In many cases, (8) that is,

(8) J. F. KINCAID, H. EYRING and A. E. STEARN, Chem. Rev. 28, 301 (1941).

⁽⁷⁾ H. EYRING, J. Chem. Phys. 4, 283 (1936); see discussion of EYRING's theory in book by J. O. HIRSCH-FELDER, C. F. CURTISS and R. B. BIRD, Molecular Theory of Gases and Liquids, pp. 624-630. J. Wiley, New York (1954).